Attention Model 101

Shaofan Lai

Papers

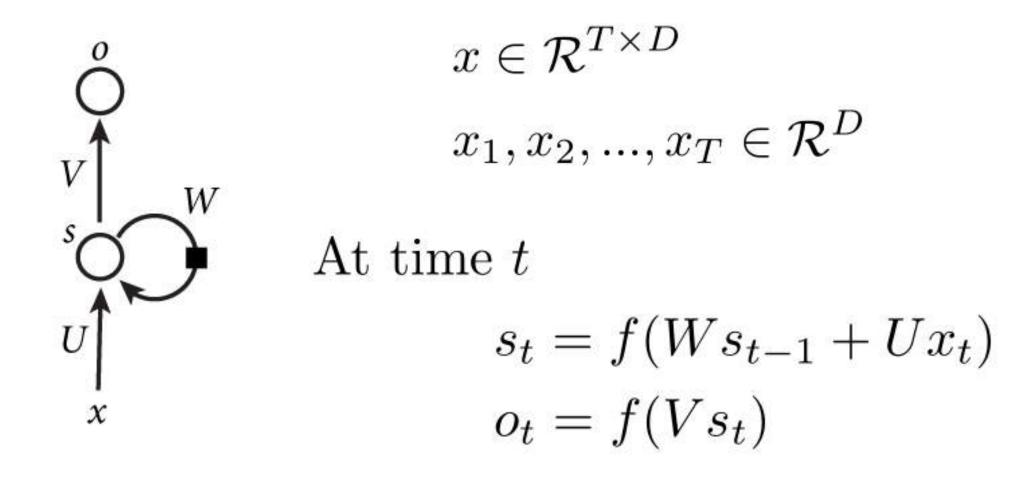
- **Survey**: Survey on the attention based RNN model and its applications in computer vision
- Toy Model: Recurrent Models of Visual Attention (NIPS2014)
- Image Caption: Show, Attend and Tell: Neural Image Caption
- Generation with Visual Attention
- Action Recognition: Action Recognition using Visual Attention (ICLR 2016)
- A Structure: Spatial Transformer Networks (NIPS2015)

Contents

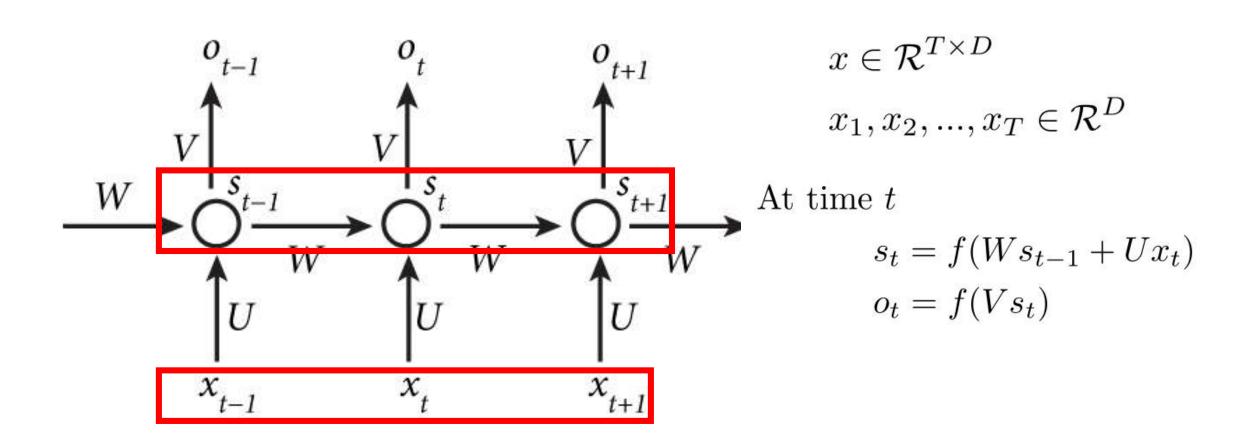
- •RNN 101
- What is attention
- Different kinds of attention models
- Application
- Pros and cons

RNN 101

RNN 101



RNN 101

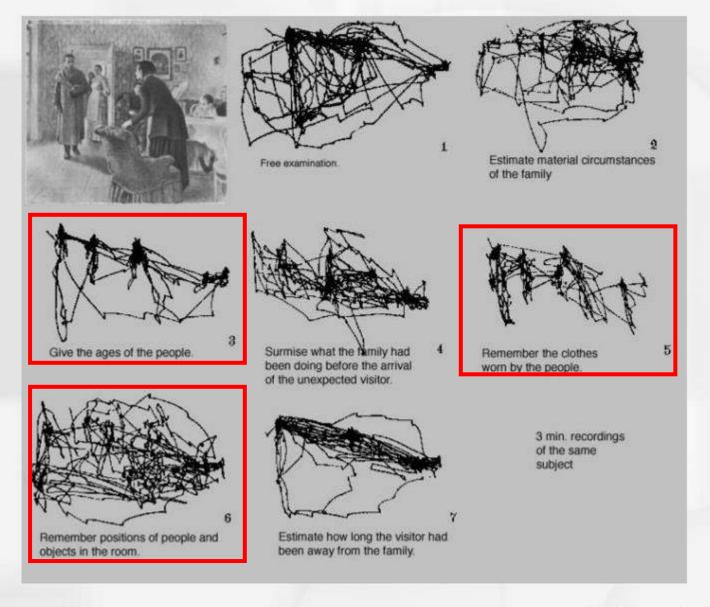


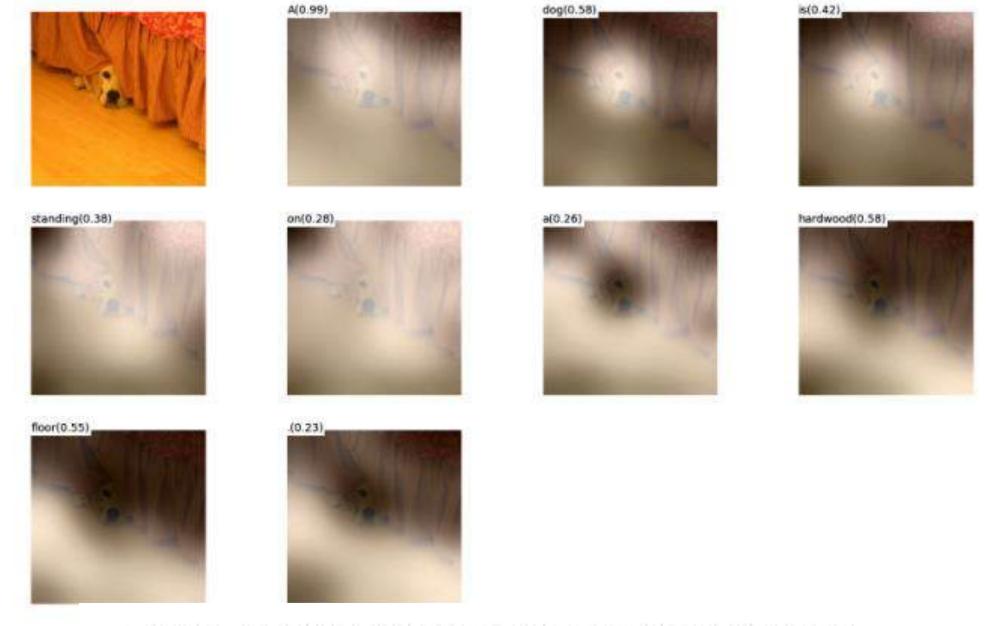
What is attention

What is attention

• In psychology, limited by the processing bottlenecks, humans tend to selectively concentrate on a part of the information, and at the same time ignore other perceivable information. The above mechanism is usually called attention [3].

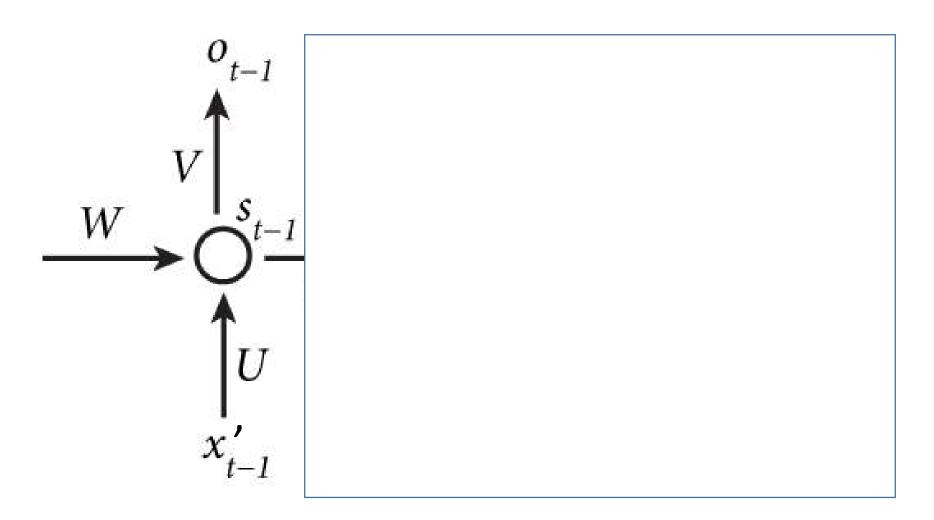
Top-down factors: The task has a strong influence on where you attend and look

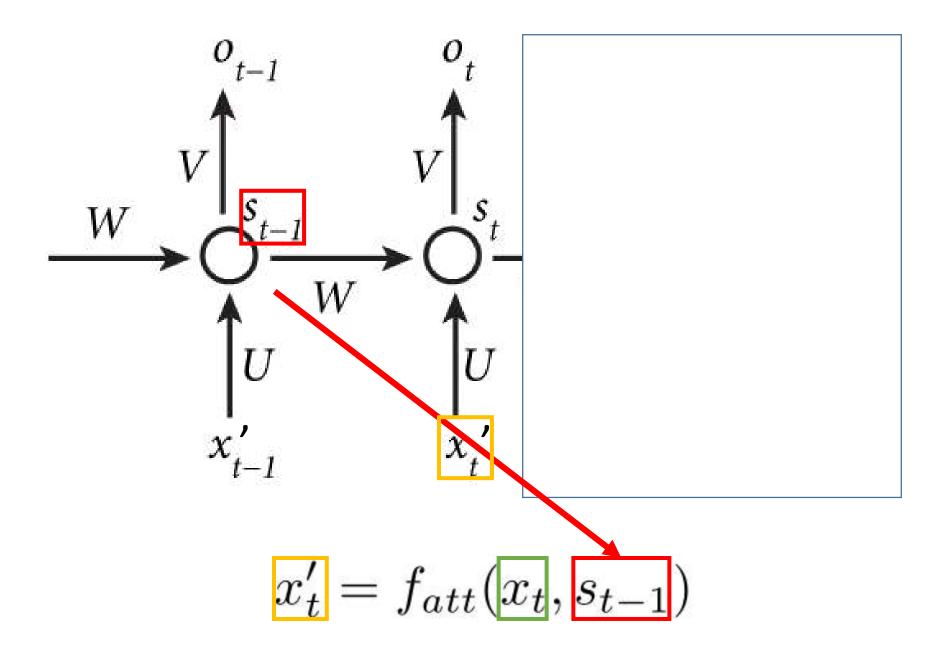


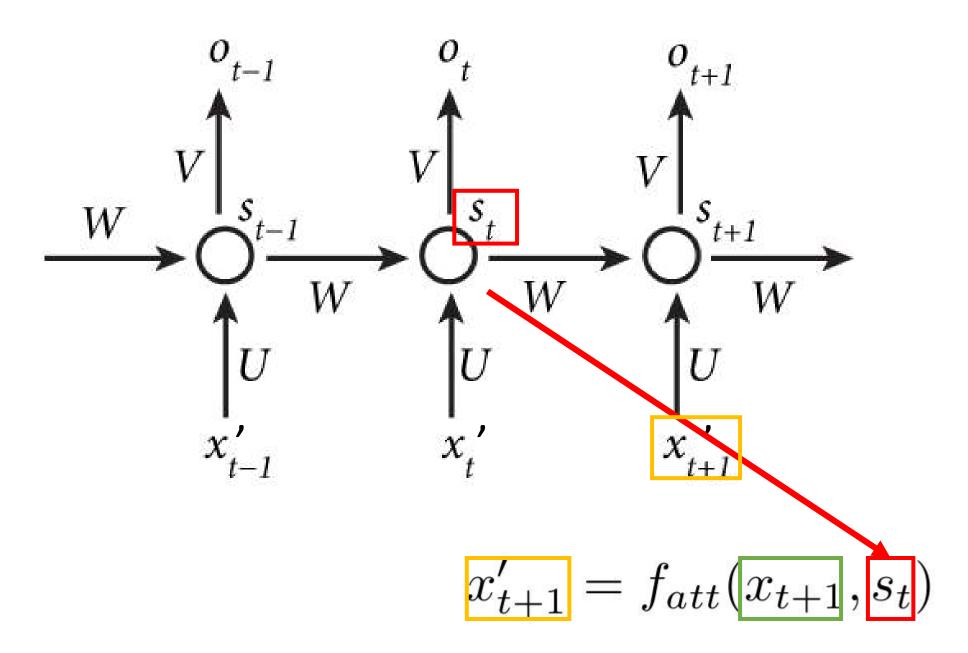


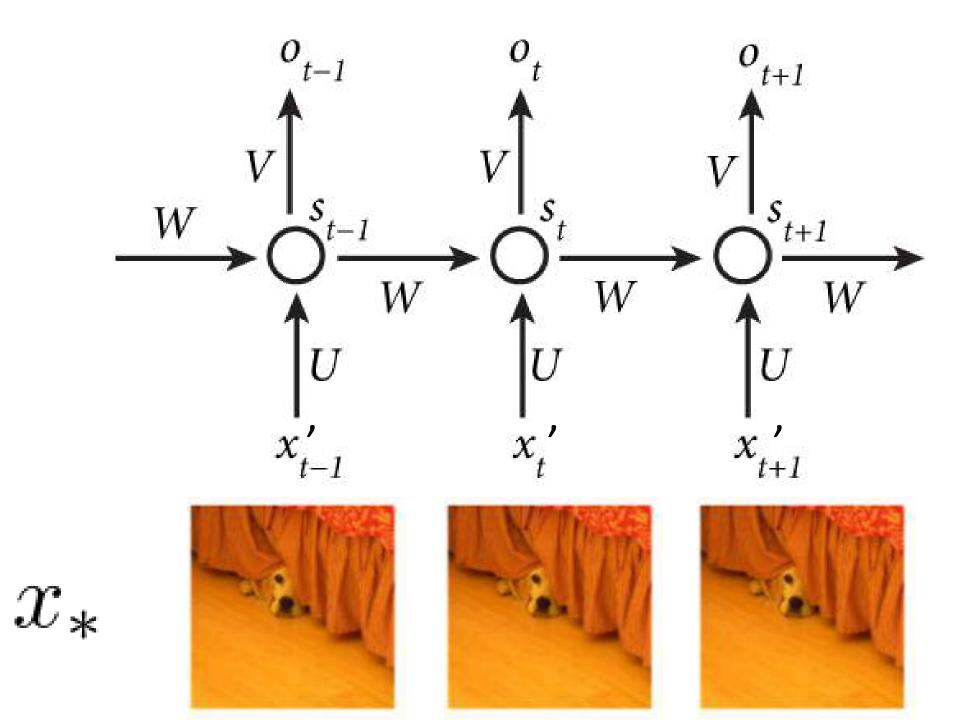
(b) A dog is standing on a hardwood floor.

Different kinds of attention models









Different kinds of attention models

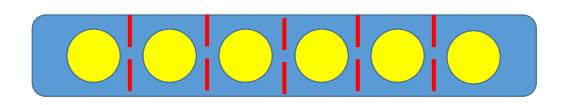
	Item-wise	Location-wise
Hard	Item-wise Hard Attention	Location-wise Hard Attention
Soft	Item-wise Soft Attention	Location-wise Soft Attention

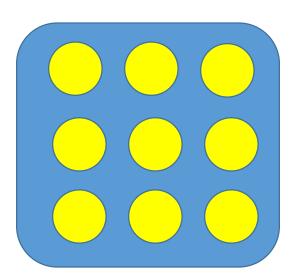
Item-wise vs Location-wise

• Item-wise:

 $x_t' = f_{att}(x_t, s_{t-1})$

- A sequence of items
- Location-wise:
 - A feature map/picture/image/frame
- Spatial connection / Shuffle immutable





Hard vs Soft

• Hard:

 $x_t' = f_{att}(x_t, s_{t-1})$

- Discretely sampling
- Non-differential
- Learning by Reinforcement learning
- Soft:
 - Linear combination/Masking/Weights
 - Differential

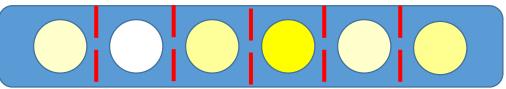
Item-wise Soft Attention

$$x'_{t} = f_{att}(x_{t}, s_{t-1})$$

$$e_{t} = g(x_{t}, s_{t-1}; \theta) \quad (e_{t}, x_{t} \in \mathcal{R}^{D})$$

$$\alpha_{tj} = \frac{exp(e_{tj})}{\sum_{i=1}^{D} exp(e_{ti})}$$

$$x'_{t} = \sum_{i=1}^{D} \alpha_{tj} x_{tj}$$



Item-wise Hard Attention

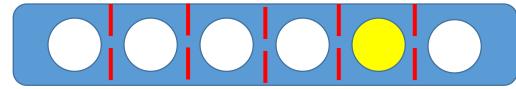
$$x'_{t} = f_{att}(x_{t}, s_{t-1})$$

$$e_{t} = g(x_{t}, s_{t-1}; \theta) \quad (e_{t}, x_{t} \in \mathbb{R}^{D})$$

$$\alpha_{tj} = \frac{exp(e_{tj})}{\sum_{i=1}^{D} exp(e_{ti})}$$

$$\mathcal{L} \sim \mathcal{C}(D, \{\alpha_{tj}\}_{j=1}^{D})$$

$$x'_{t} = x_{t}\mathcal{L}$$



Location-wise Soft Attention

$$x'_{t} = f_{att}(x_{t}, s_{t-1})$$

$$e_{t} = g(x_{t}, s_{t-1}; \theta) \quad (e_{t}, x_{t} \in \mathbb{R}^{D}) \rightarrow \mathbb{R}$$

$$\alpha_{tj} = \frac{exp(e_{tj})}{\sum_{i=1}^{D} exp(e_{ti})}$$

$$x'_{t} = \sum_{i=1}^{D} \alpha_{tj} x_{tj}$$

Location-wise Hard Attention

$$x'_{t} = f_{att}(x_{t}, s_{t-1})$$

 $[X, Y] = g(x_{t}, s_{t-1}; \theta) \quad (X, Y \in \mathcal{R})$
 $[X', Y'] \sim \mathcal{N}([X, Y], \sigma)$
 $x'_{t} = f_{crop}(x_{t}, [X, Y, h, w])$

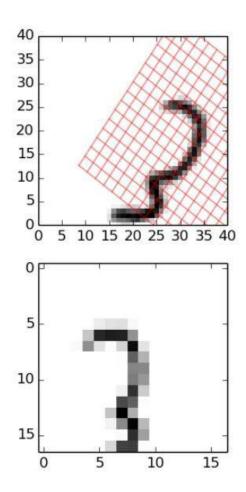


(Another) Location-wise Soft Attention

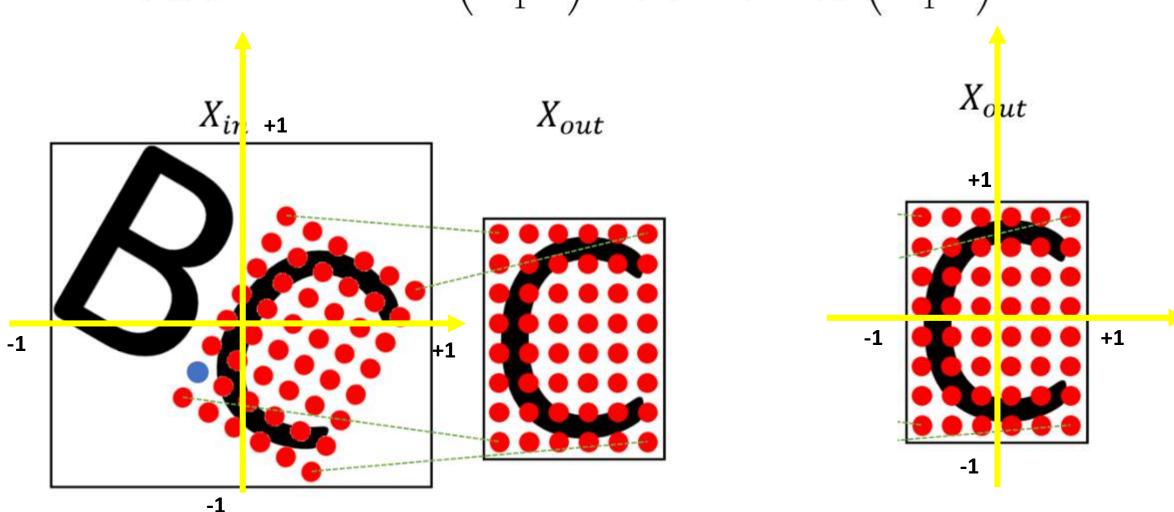
Spatial Transformer Networks (NIPS2015)

$$A_j = g(x_t, s_{t-1}; \theta)$$

$$A_j = \begin{bmatrix} a_{1,1} & a_{1,2} & a_{1,3} \\ a_{2,1} & a_{2,2} & a_{2,3} \end{bmatrix}$$

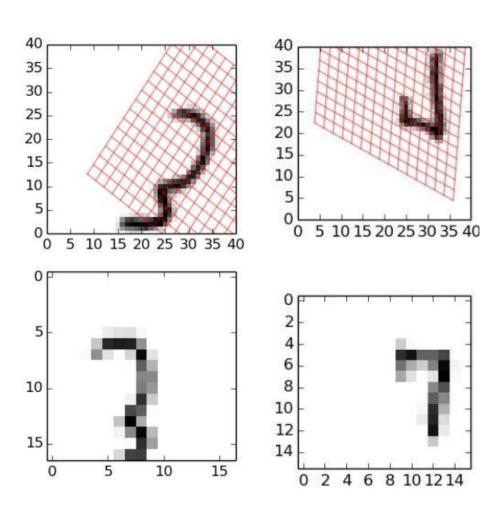


$$S_{i} = \begin{pmatrix} x_{i}^{S} \\ y_{i}^{S} \end{pmatrix} = \tau_{A_{j}} (G_{i}) = A_{j} \begin{pmatrix} x_{i}^{X_{out}} \\ y_{i}^{X_{out}} \\ 1 \end{pmatrix} = \begin{bmatrix} a_{1,1} & a_{1,2} & a_{1,3} \\ a_{2,1} & a_{2,2} & a_{2,3} \end{bmatrix} \begin{pmatrix} x_{i}^{X_{out}} \\ y_{i}^{X_{out}} \\ 1 \end{pmatrix}$$

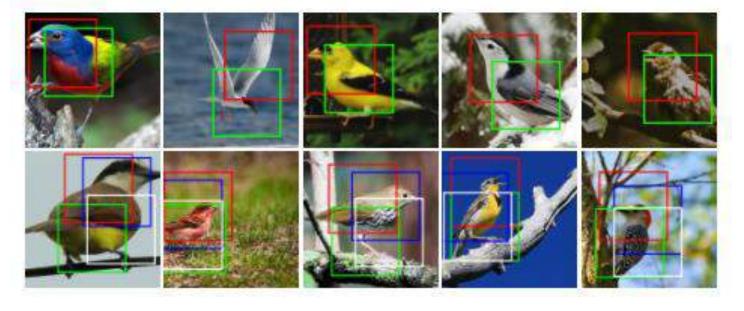


$$X_{out,i}^{q} = \sum_{u}^{U_{in}} \sum_{v}^{V_{in}} X_{in,u,v}^{q} \max \left(0, 1 - \left|x_{i}^{S} - v\right|\right) \max \left(0, 1 - \left|y_{i}^{S} - u\right|\right)$$

$$\forall i \in [1, 2, \dots, U_{out}V_{out}] \quad \forall q \in [1, 2, \dots, Q]$$

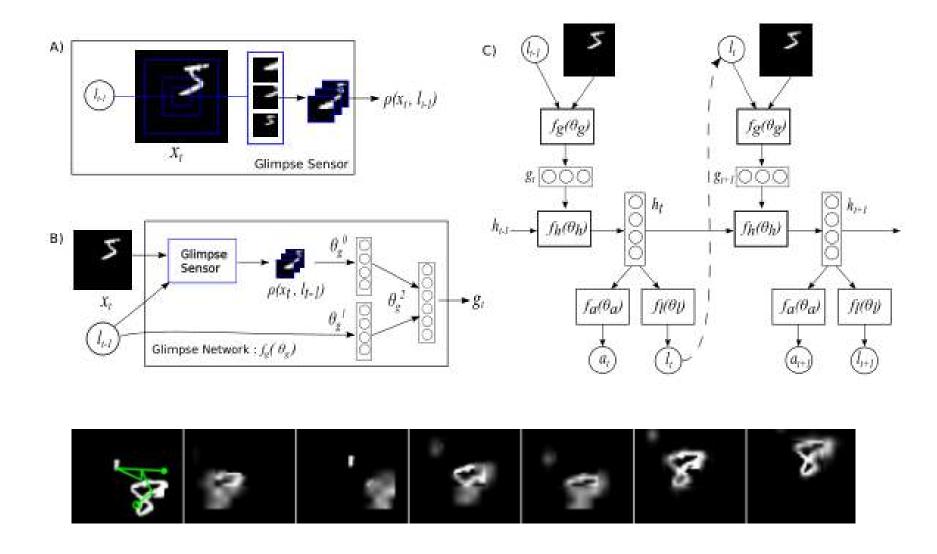




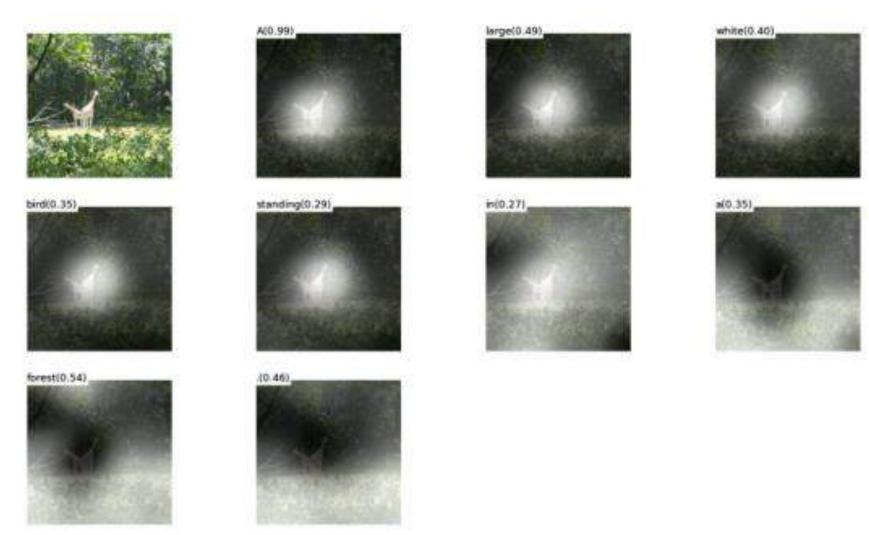


Applications

Glimpses



Caption



Video (Sequential data)



(a) Correctly classified as "Pushup"



(f) "soccer juggling"

Pros and cons

• Pros:

- Learn selectively rather than equally
- Not limited to computer vision
- Understandable

• Cons:

- Hard to train hard attention (RL)
- \bullet Hard to learn $f_{att}(x_t,s_{t-1})$ and classifier simultaneously

Q & A

Thanks!